

Image matching and beyond: tools and techniques



but:

reminiscence
questions
introduction

trial-and-error image analysis

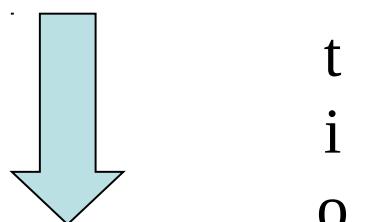
1. object
modeling



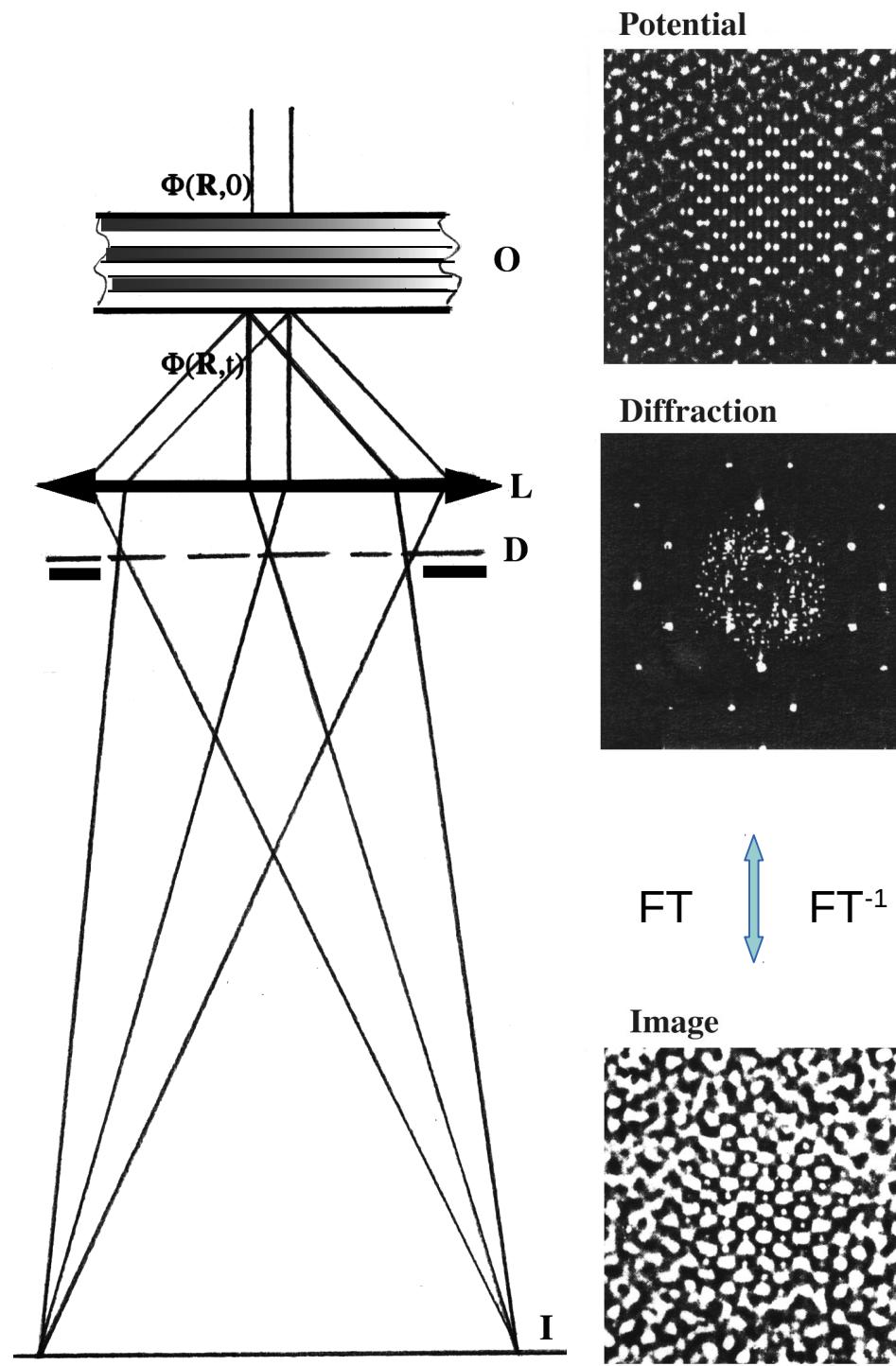
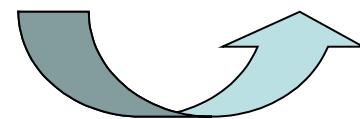
2. wave
simulation



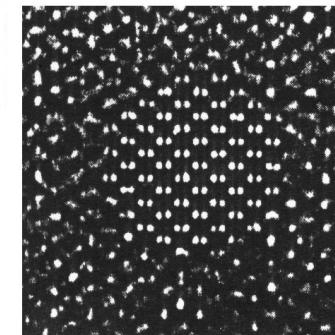
3. image
process



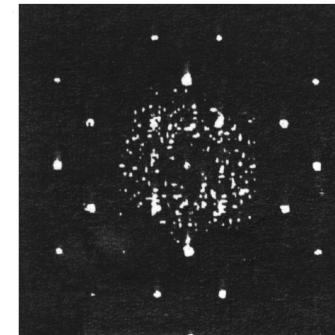
4. likelihood
measure



Potential

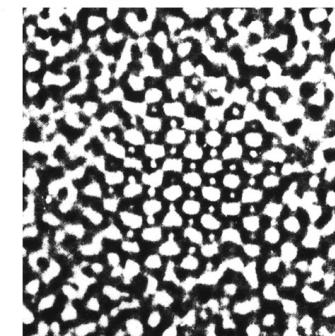


Diffraction



FT \uparrow \downarrow FT^{-1}

Image



crystal vs
amorphous
elasticity vs
defects

dynamical theory
(Bloch waves
vs plane waves
vs multislice)
approximations

aberrations

matching &
fit criteria
(Head: line printer)

ca 1970

Reminiscence - Anniversary

General Theory Cowley, Laue, Howie&Whelan et.al., Wilkens, Takagi, vanDyck, Spence, Rez.....
Hans Bethe, Ann. Phys. 87 (1928) 55: Theorie der Beugung von Elektronen an Kristallen

Ernst Lamla, Ann. Phys 32 (1938) 178: Zur Theorie der Elektronenbeugung bei Berücksichtigung von mehr als 2 Strahlen und zur Erklärung der Kikuchi-Enveloppen

Simulation & Matching (besides Multi-Slice

P. Humble, Aust.J.Phys 21 (1968) 325, Computer generation of electron micrographs of defects in crystals
(based on papers of A.K. Head on elasticity theory of dislocations, etc.)

Inverse problem

A.K. Head, Aust.J.Phys 22 (1969) 43: The reconstruction of displacement fields of defects in crystals from electron micrographs (the manuscript received July 24, 1968)

Inelastic scattering Fujimoto, Yoshioka, Kainuma, Moliere, Howie, Kasper, Kohl&Weickenmeier, Wang, Rossouw, Kambe&Lehmpfuhl.....

G. Radi, Z. Physik 212 (1968) 146: Unelastische Streuung in der Theorie der Elektronenbeugung

Non-column approximation (3D)

A.Howie, Z.S.Basinski, Phil. Mag. 17 (1968) 1039: Approximations of the Dynamical Theory of Diffraction Contrast

K.Scheerschmidt, S.Carl, Kristall und Technik 13 (1978) 1131: Anwendung der Riemannschen Integrationsmethode auf Beugungsprobleme in Blochwellendarstellung

N.V.Berry, N.L.Balazs, J.Phys.A:Math.Gen 12 (1979) 625: Evolution of semiclassical quantum states in phases space (manuscript September 1978 finishing 10-years work M.V.Berry, J.Phys.C 4 (1971) 697: Diffraction in crystals at high energies)



DESY Hamburg & Zeuthen AdW Institute of High Energy Physics

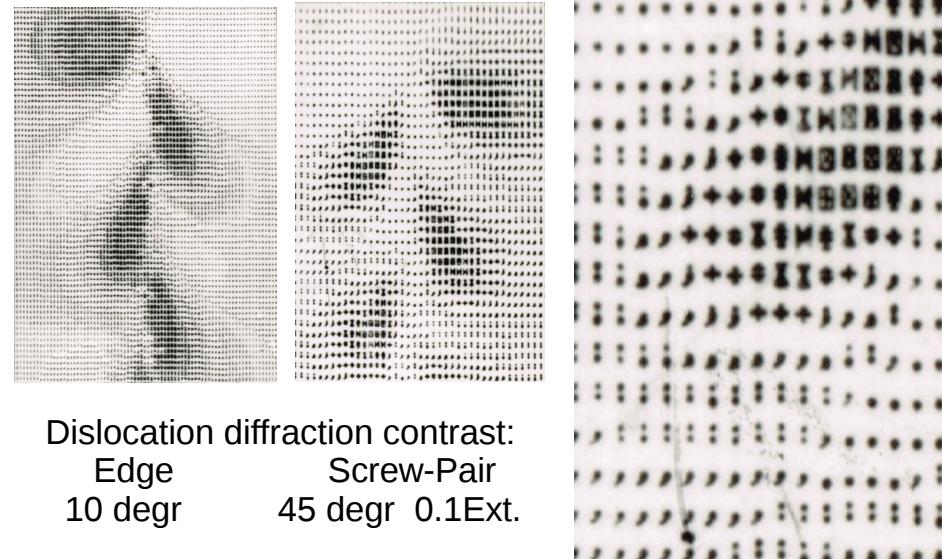




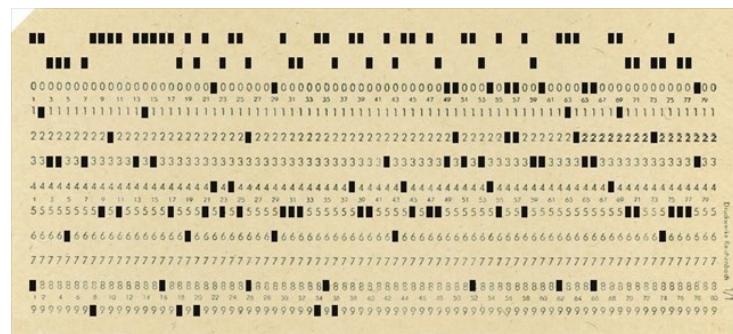
BESM-6 (1967)

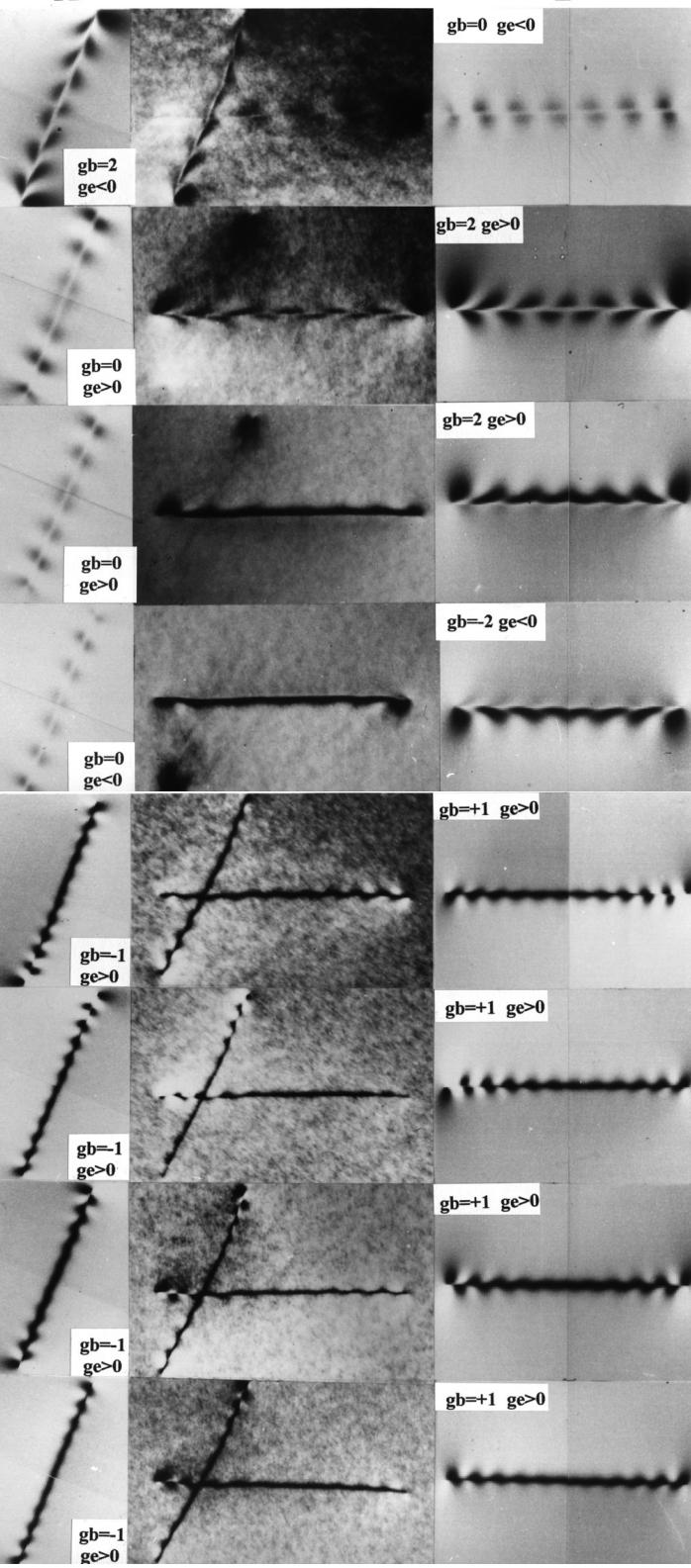
Большая Электронно-Счётная Машина

Performance	About 1 MIPS (MFLOPS)
Clock frequency	9 MHz
Element base	60,000 transistors
	170,000 diodes
Word size	48 bits
Address size	15 bits
Addressable memory	192 Kb
Pipelined CPU, Virtual addressing, Printer output, Magnetic tapes and drum storage, Punch card	



Dislocation diffraction contrast:
Edge Screw-Pair
10 degr 45 degr 0.1Ext.





BF

$w=0.3$

\vec{g}_{400}

BF

$w=0$

\vec{g}_{040}

BF

$w=0.5$

\vec{g}_{040}

DF

$w=-0.5$

$\vec{g}_{\bar{2}\bar{2}0}$

DF

$w=0.5$

$\vec{g}_{\bar{2}\bar{2}0}$

BF

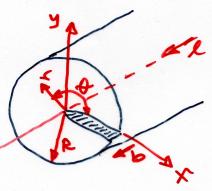
$w=0$

$\vec{g}_{\bar{2}\bar{2}0}$

BF

$w=-0.5$

$\vec{g}_{\bar{2}\bar{2}0}$

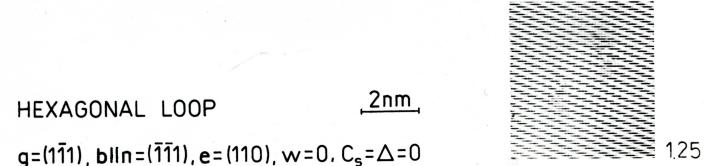
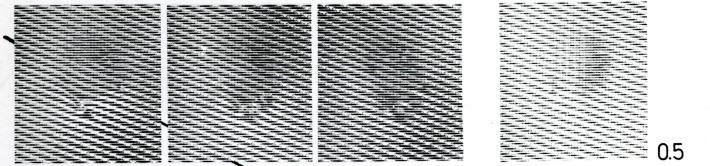
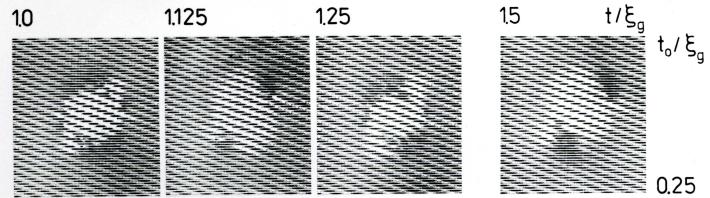


$$\lim_{\epsilon \rightarrow 0} \sqrt{\frac{1}{2}[(x_1 - \epsilon) - u_x(x_1, \epsilon)]^2 + [y_1 - u_y(x_1, \epsilon)]^2} = b$$

$$x > 0$$

$$n_z(r, \theta) = \frac{b \sqrt{2}}{2\pi} = \frac{b}{2\pi} \arctan \frac{y}{x}$$

$$u_x = u_y = 0$$



Simulation of Diffraction Contrast & Lattice Fringe Images of Dislocation Structures

- Continuum Elasticity
- Deformable Ion Approximation of the Crystal Potential

Rigid ion approximation

$$V(\vec{r}) = \sum_m V_m (\vec{r} - \vec{r}_m - \vec{\mu}(t))$$

HEXAGONAL LOOP

$$g=(1\bar{1}1), b||n=(\bar{1}\bar{1}1), e=(110), w=0, C_s=\Delta=0$$

2nm

Deformable ion approximation

$$V(\vec{r}) = V_0 (\vec{r} - \vec{\mu}(\vec{r}))$$

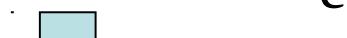
$$\sim V_d = V_0 e^{-2\pi i f_m(\vec{r})}$$

trial-and-error image analysis

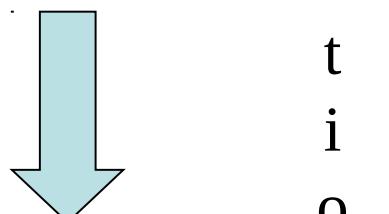
1. object
modeling



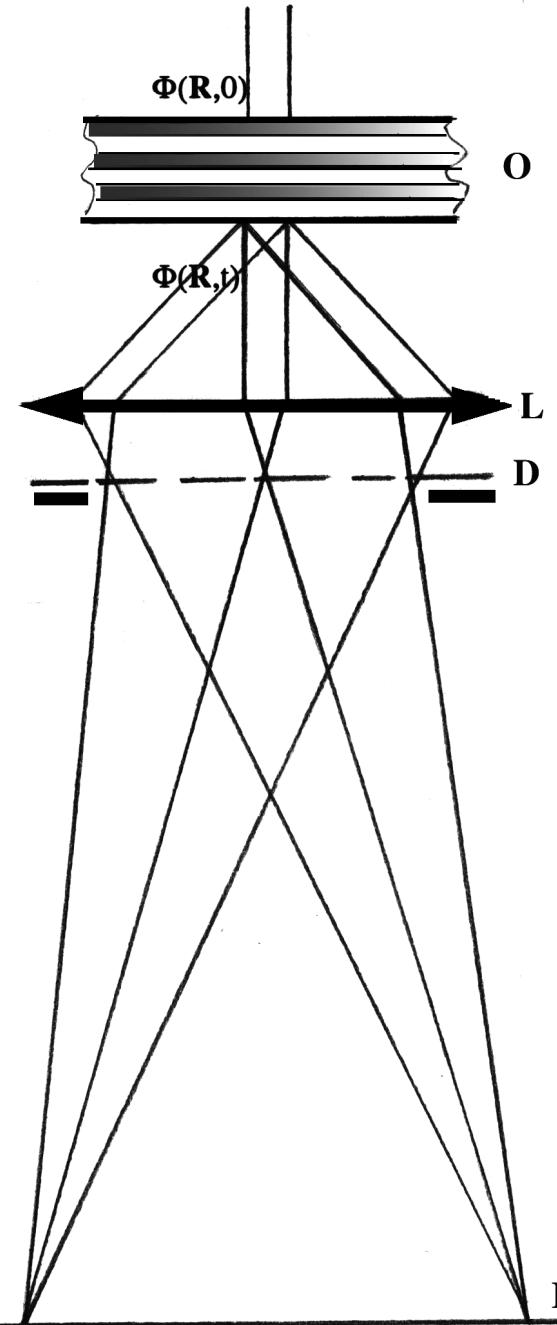
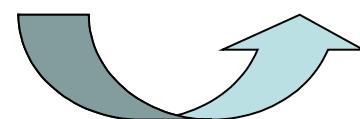
2. wave
simulation



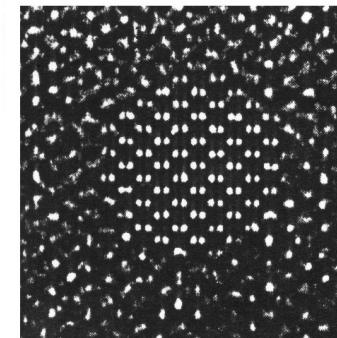
3. image
process



4. likelihood
measure

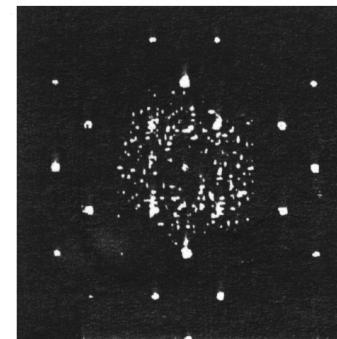


Potential



MD structure modeling,
DFT scattering potentials

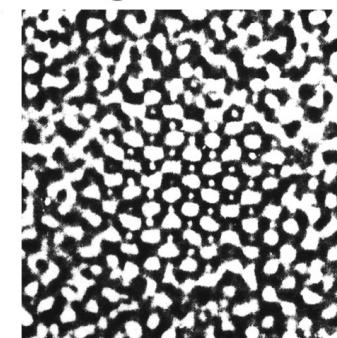
Diffraction



dynamical theory
„weak phase approx.
will make us blind“
scattering factors vs
electron density
inelastic vs absorption

FT \leftrightarrow FT^{-1}

Image

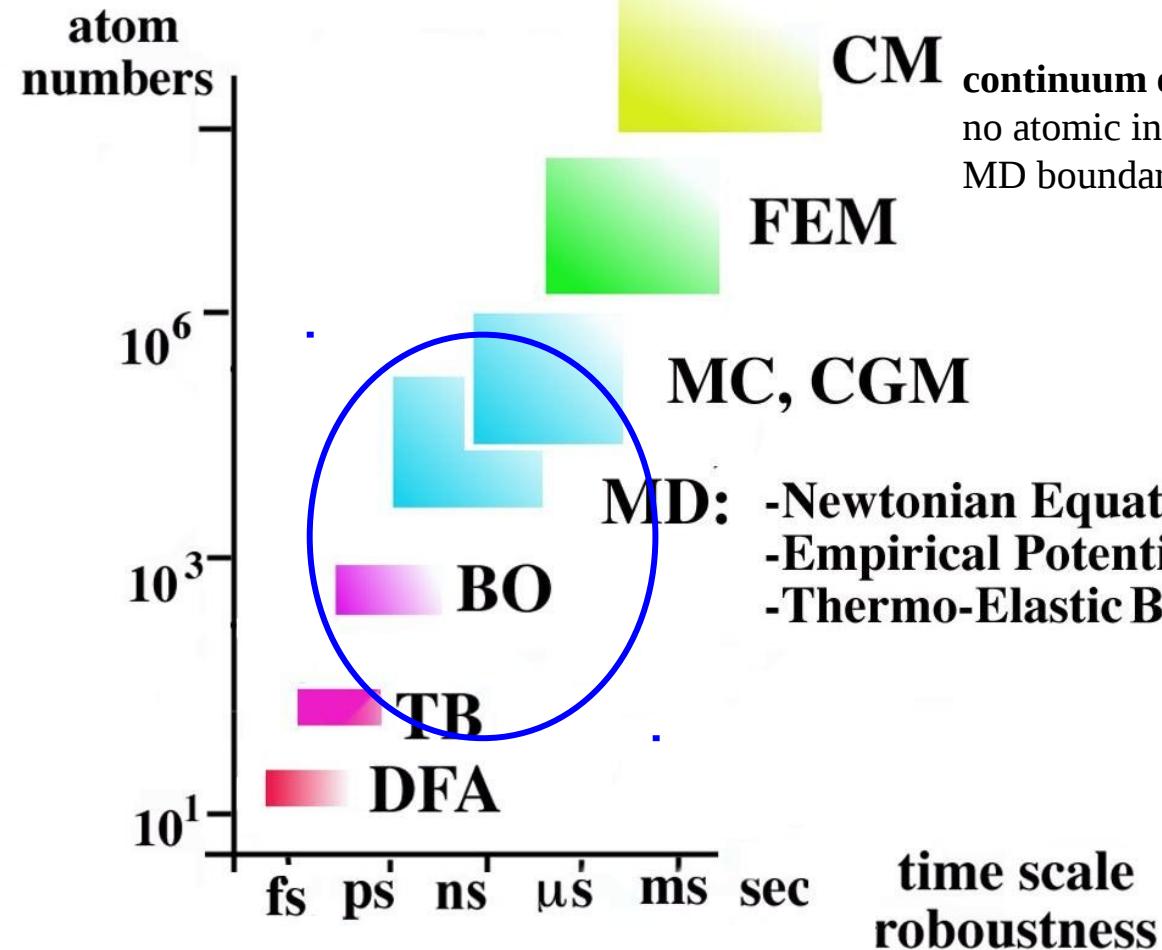


measurements:
aberrations, thickness,
orientation, tilt, bending,
adsorbates, composition,
defects, surface structure

matching & fit criteria
Stobbs factor

ca 1990

empirical MD: macroscopic relevance



ab initio ~ 100 atoms

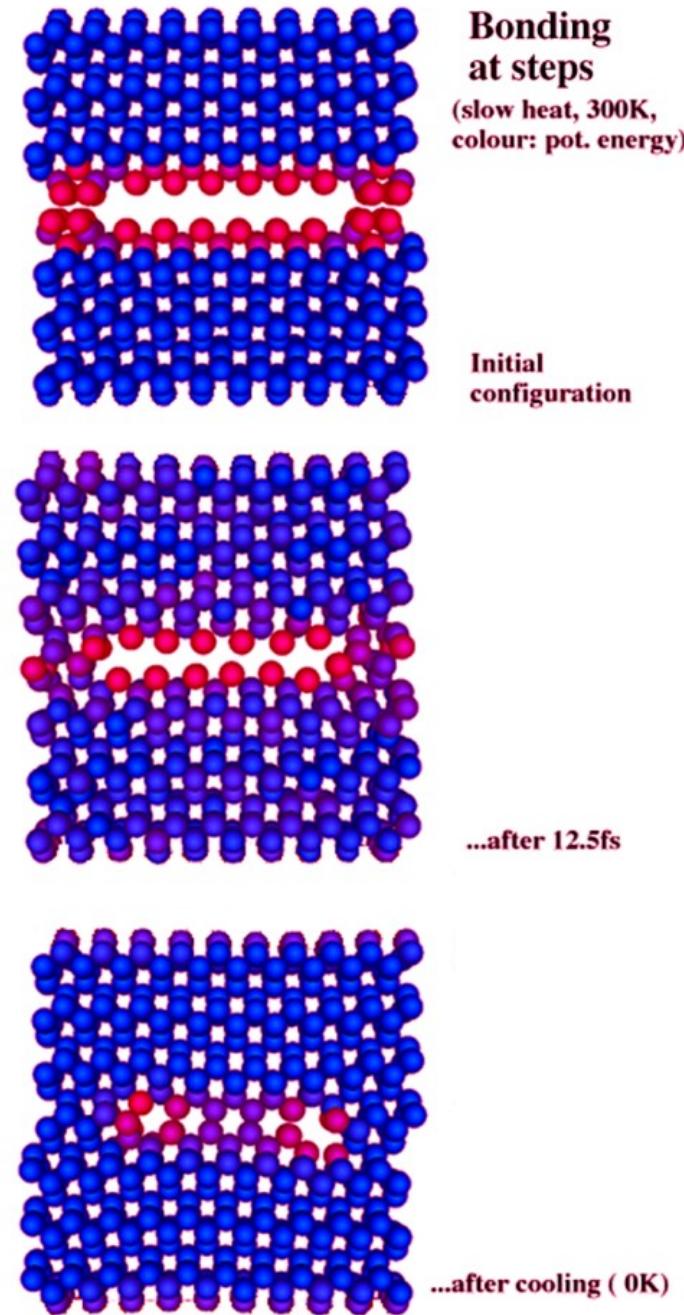
parameter free all electron
or pseudopotentials

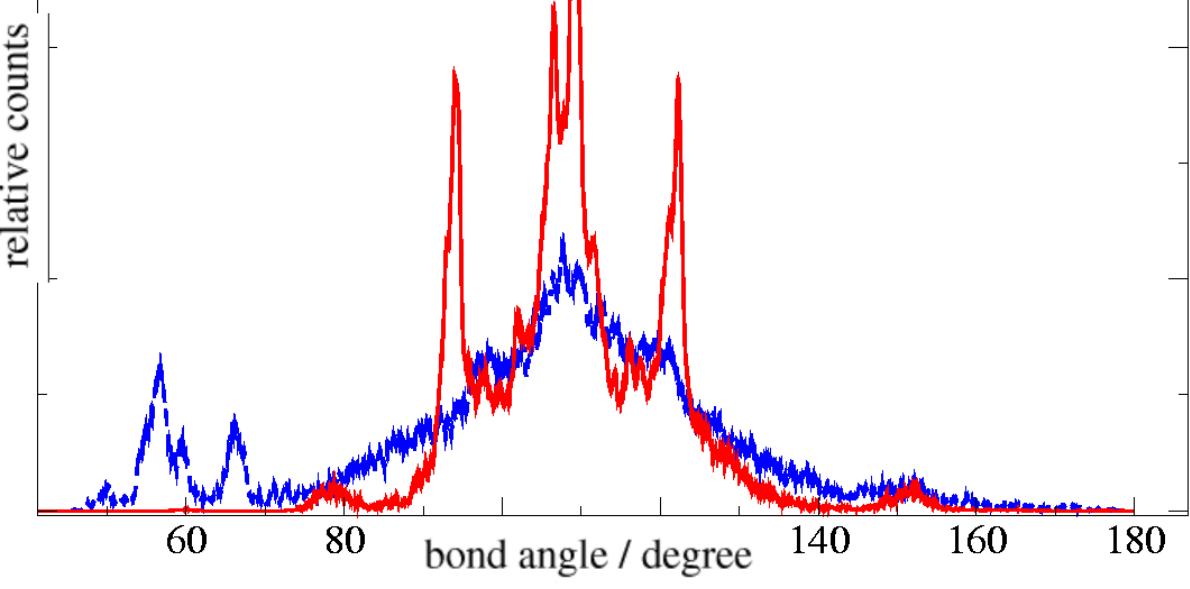
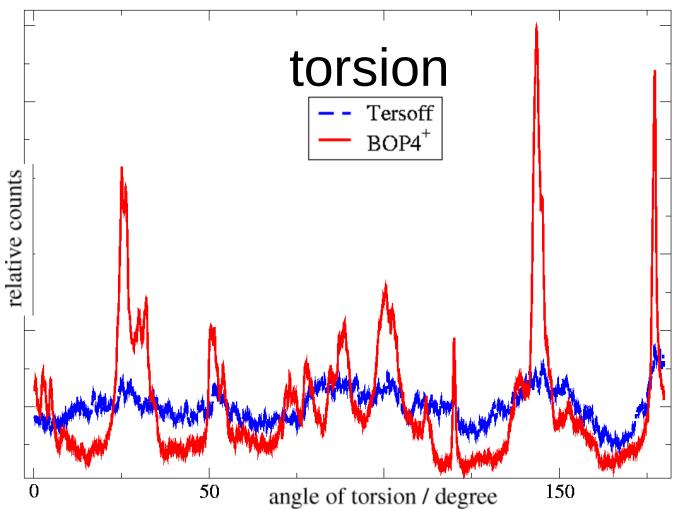
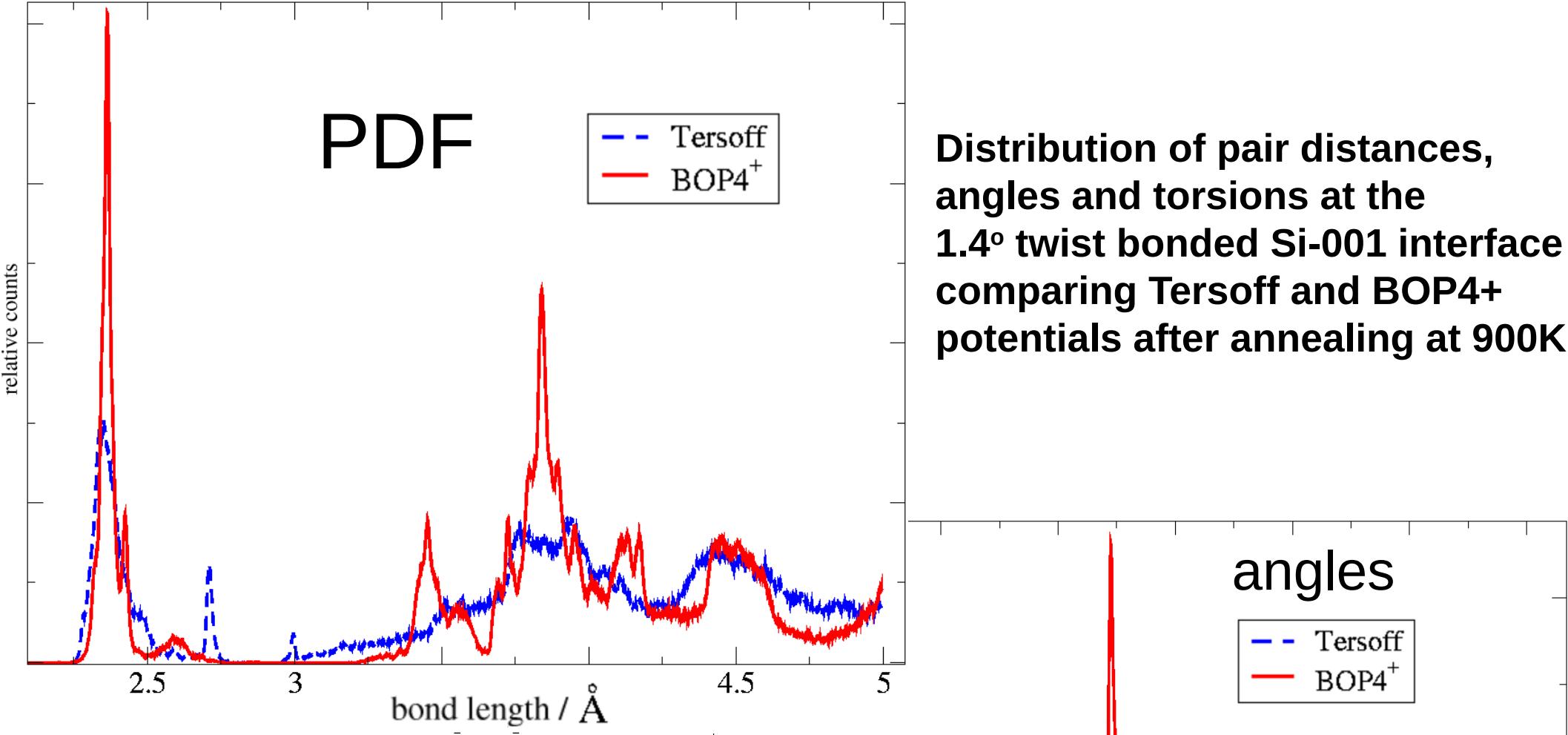
tight-binding ~ 1000 atoms

wavefunction = Σ atomic orbitals,
TB-Hamilton ss σ , sp σ , pp σ , pp π ,

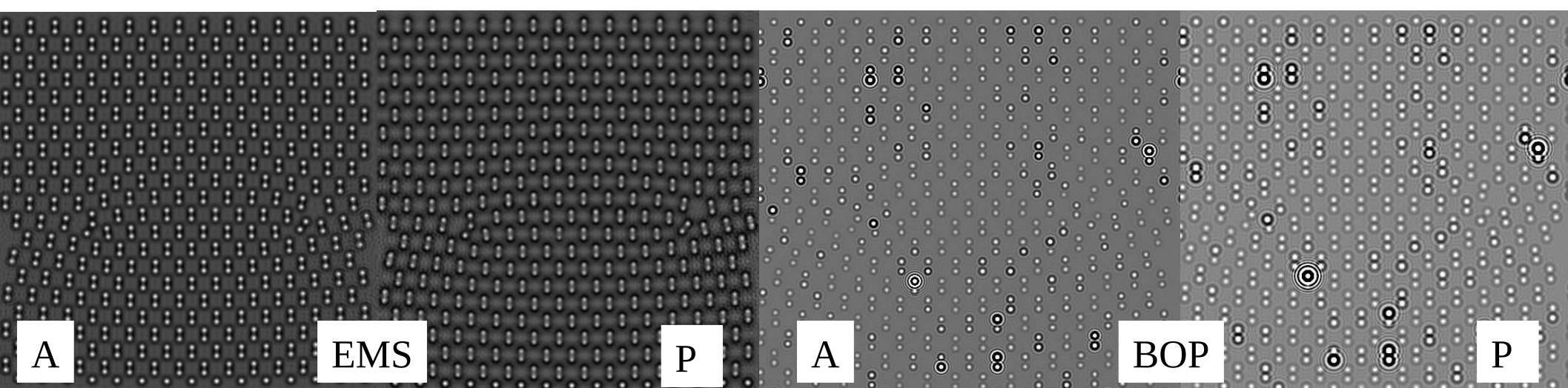
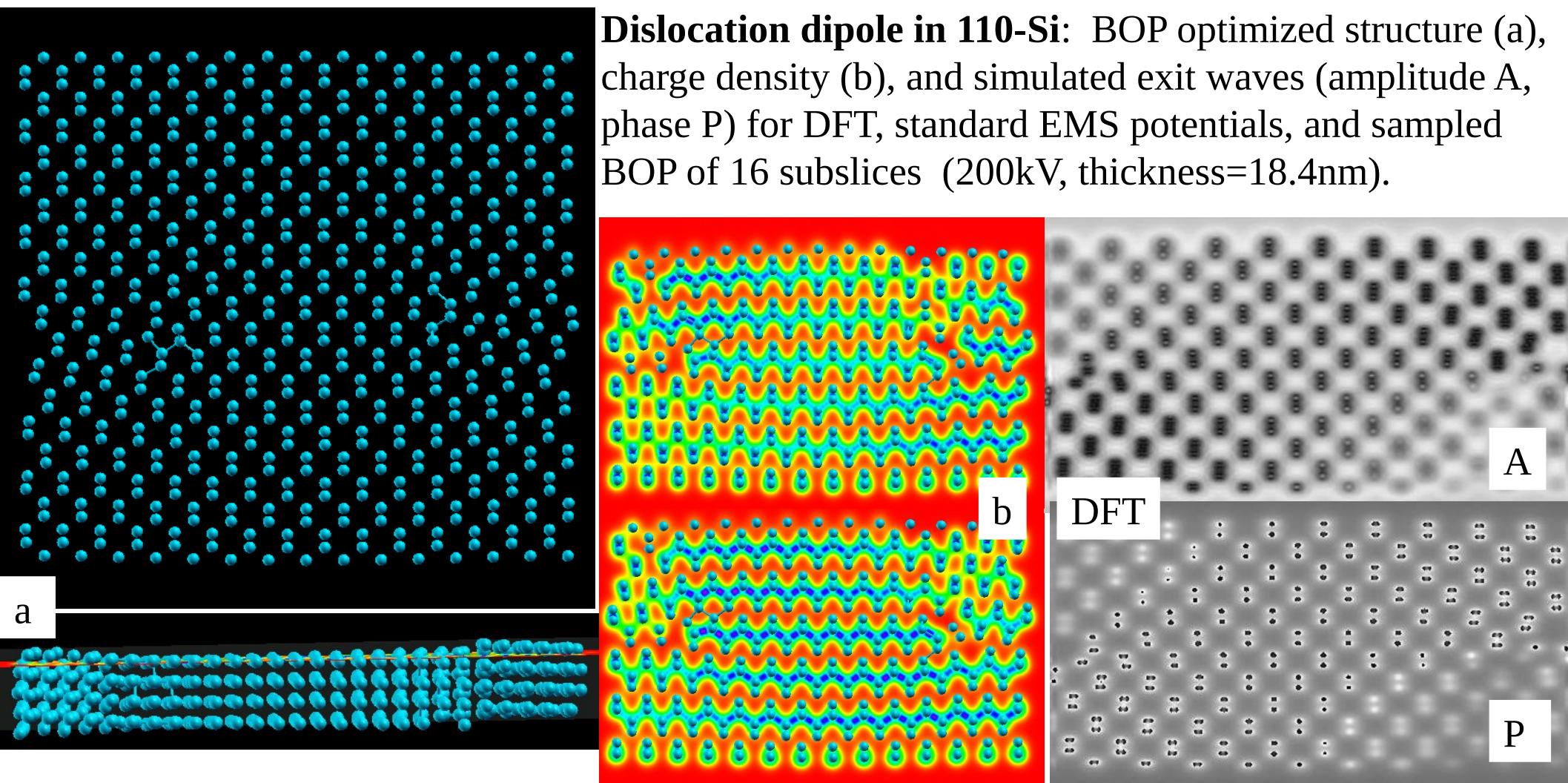
Bond Order Potential

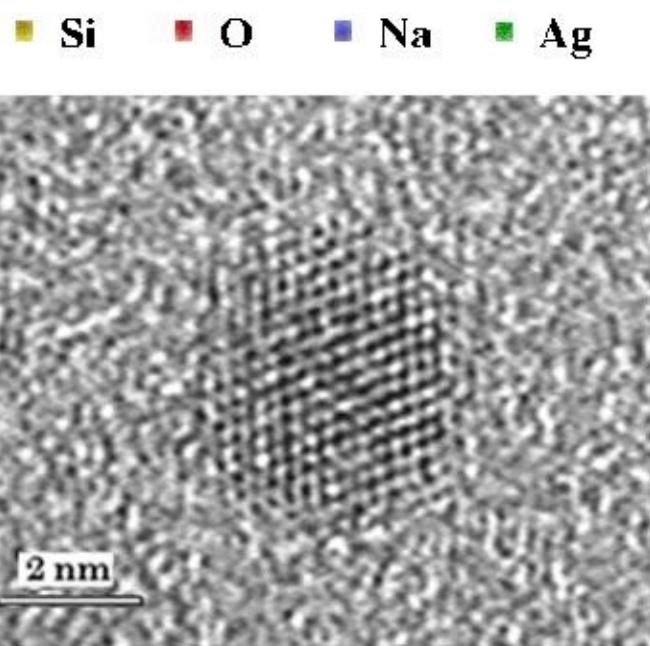
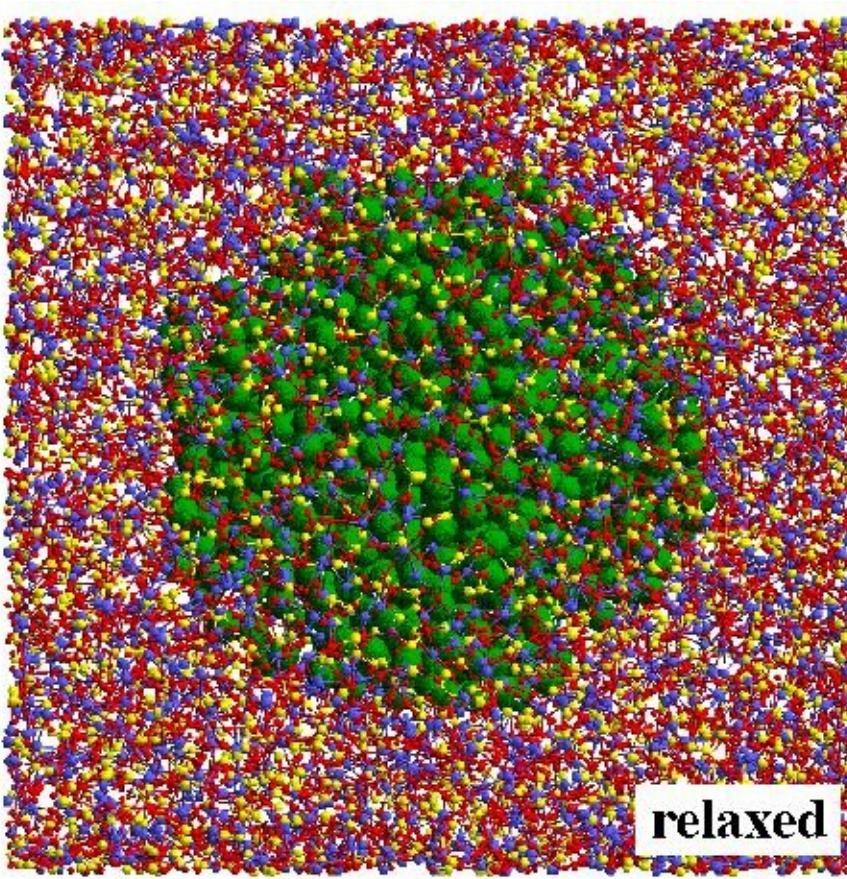
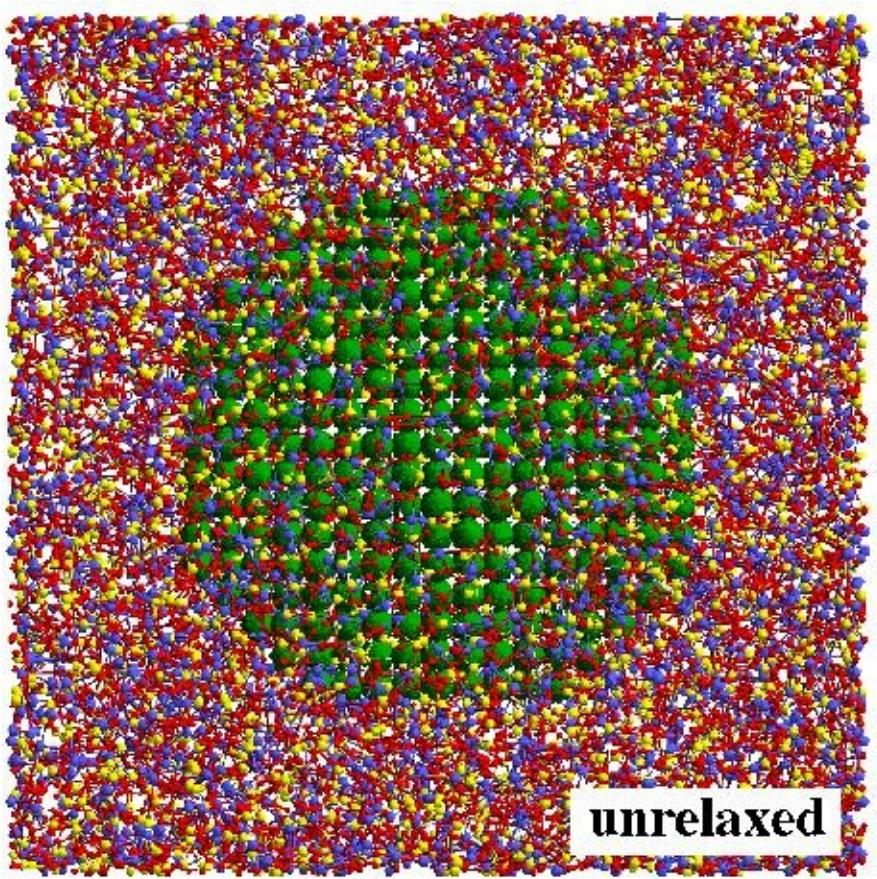
$$U_{bond}^{i,j} = 2 \sum_{\alpha, \beta} H_{i\alpha, j\beta} \Theta_{j\beta, i\alpha}$$



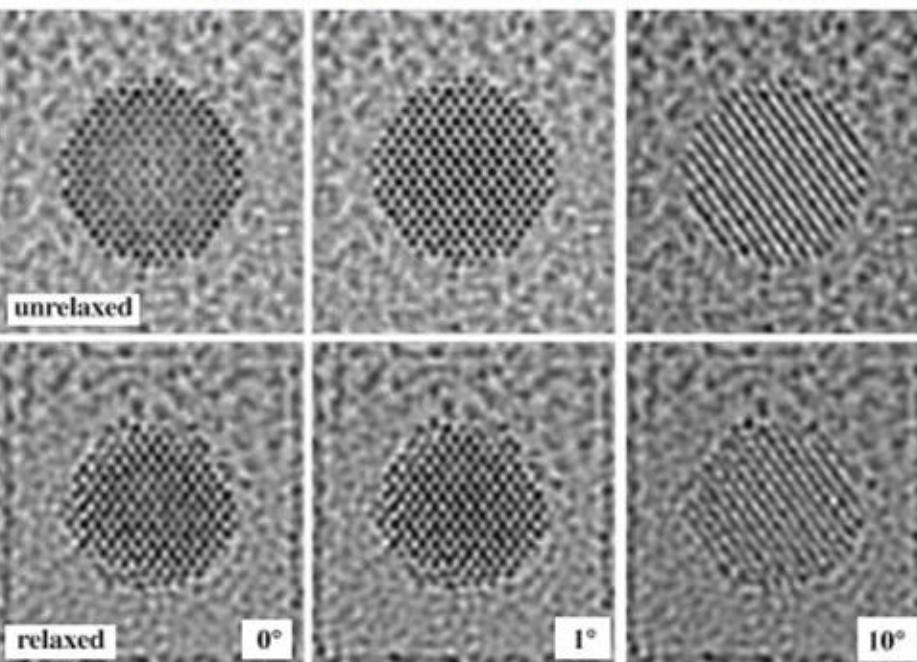


Dislocation dipole in 110-Si: BOP optimized structure (a), charge density (b), and simulated exit waves (amplitude A, phase P) for DFT, standard EMS potentials, and sampled BOP of 16 subslices (200kV, thickness=18.4nm).



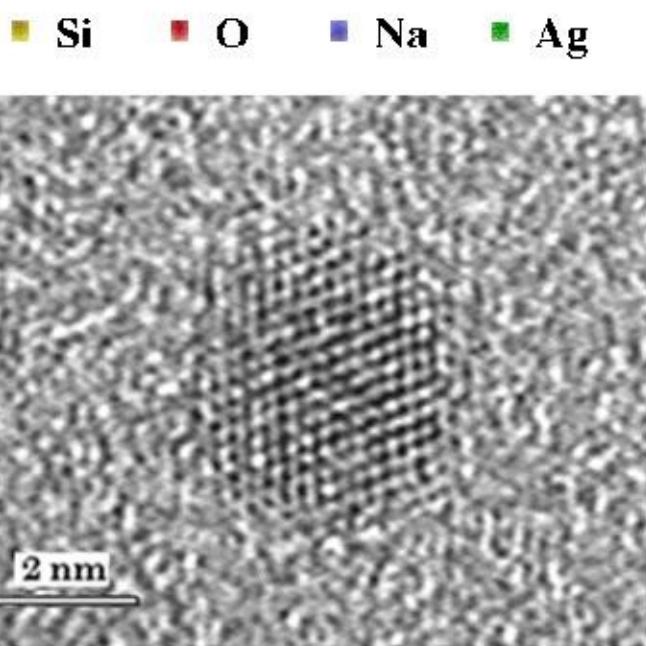


c



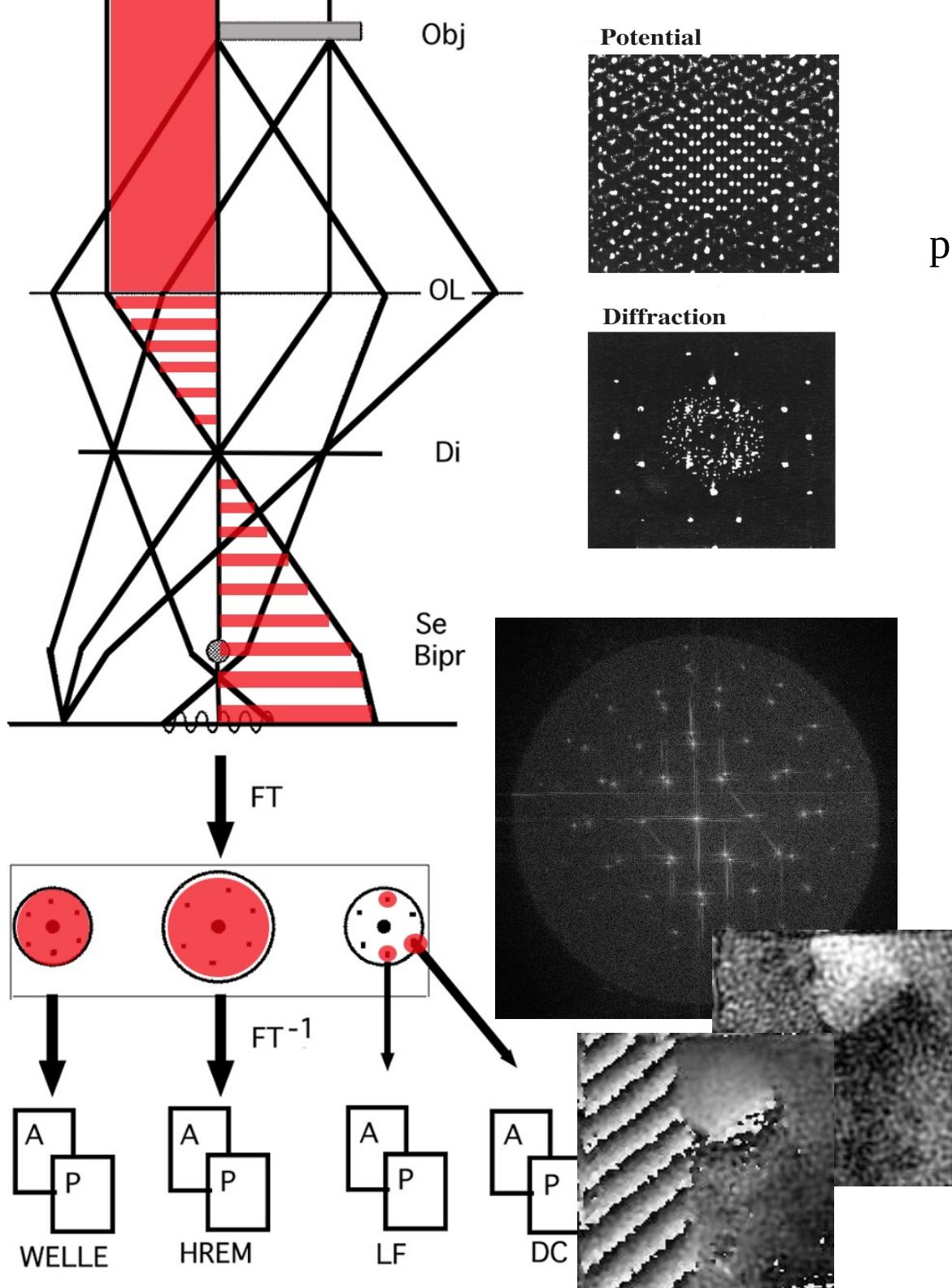
b

d



trial-and-error image analysis

1. object modeling
2. wave simulation
3. image process repetition
4. likelihood measure

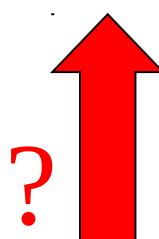


direct object
reconstruction

parameter & potential
reconstruction
local measurements
3D info
regularization



wave
reconstruction



amplitude &
phase image

multi-slice inversion
(van Dyck, Griblyuk, Lentzen,
Allen, Spargo, Koch)
Pade-inversion (Spence)
non-Convex sets (Spence)
local linearization

deviations from
reference structures:
displacement field (Head)
algebraic discretization

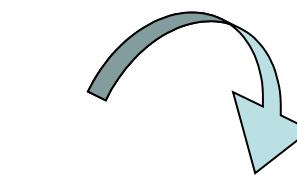
parameter
& potential

Inversion ?

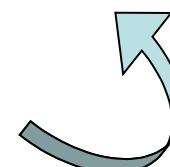
atomic
displacements

exit object
wave

no iteration
same ambiguities
additional instabilities



image



reference beam (holography)
defocus series (Kirkland, van Dyck ...)
Gerchberg-Saxton (Jansson)
tilt-series, voltage variation

direct interpretation
by data reduction:
Fourier filtering
QUANTITEM
Fuzzy & Neuro-Net
Strain analysis

